



# Software Architecture

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## Lecture 5: Modularity and Abstract Data Types

# Three topics (over today & tomorrow)

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1. Modularity
2. The theory of abstract data types
3. Object-oriented analysis

# Reading assignment for this week

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OOSC, chapters

3: Modularity

6: Abstract data types

In particular pp.153-159,  
**sufficient completeness**

General goal:

Ensure that software systems are structured into units (modules) chosen to favor

- Extendibility
- Reusability
- "Maintainability"
- Other benefits of clear, well-defined architectures

## Some principles of modularity:

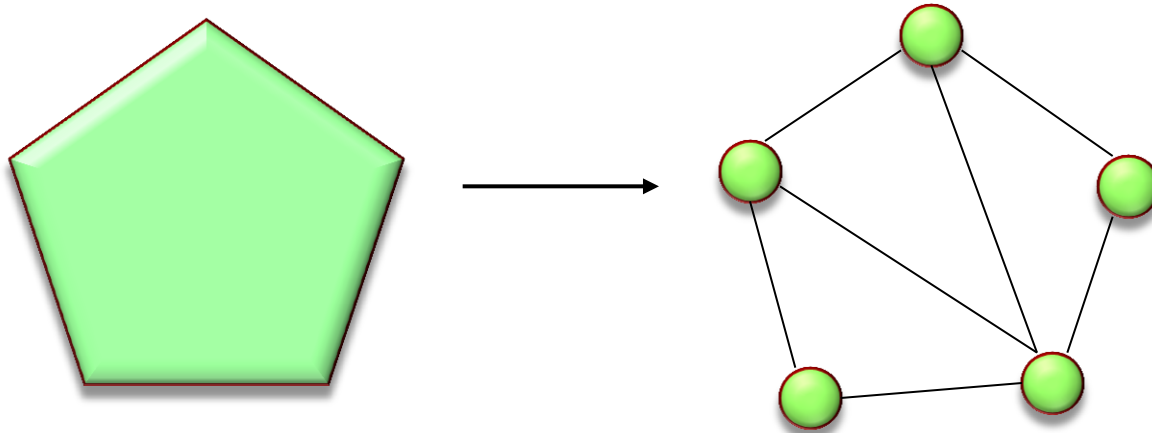
- Decomposability
- Composability
- Continuity
- Information hiding
- The open-closed principle
- The single choice principle

# Decomposability

The method helps decompose complex problems into subproblems

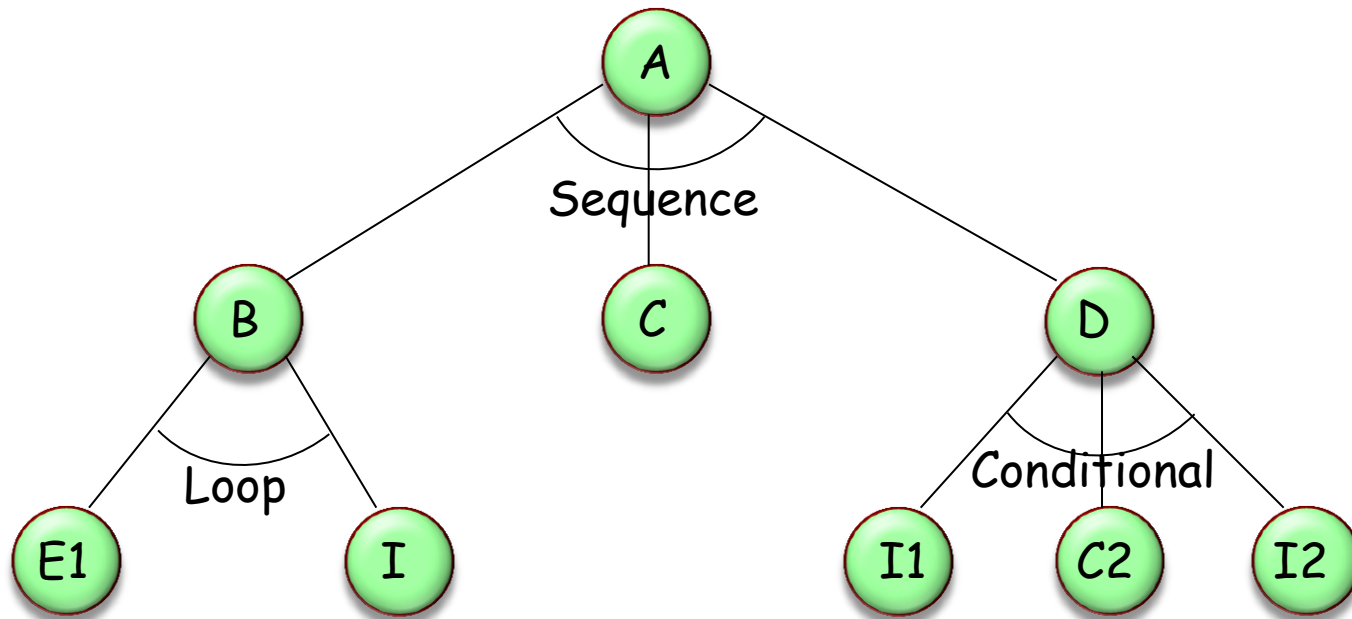
COROLLARY: Division of labor.

- Example: Top-down design method (see next).
- Counter-example: General initialization module.



# Top-down functional design

Topmost functional abstraction



# Top-down design

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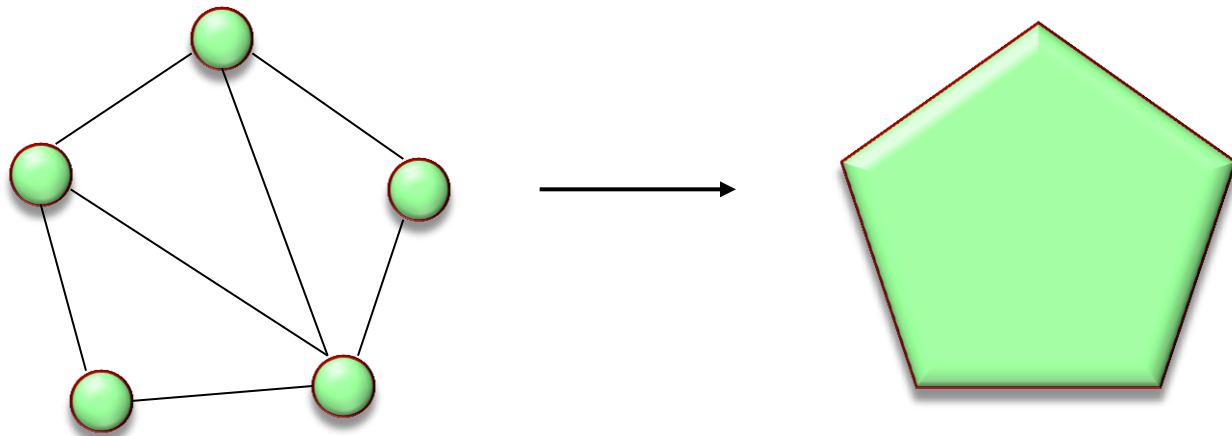
See Niklaus Wirth, "Program Construction by Stepwise Refinement", *Communications of the ACM*, 14, 4, (April 1971), p 221-227.

<http://www.acm.org/classics/dec95/>



# Composability

The method favors the production of software elements that may be freely combined with each other to produce new software



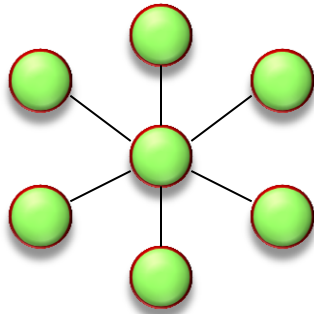
Example: Unix shell conventions  
Program1 | Program2 | Program3

The method yields software systems whose modular structure remains compatible with any modular structure devised in the process of modeling the problem domain

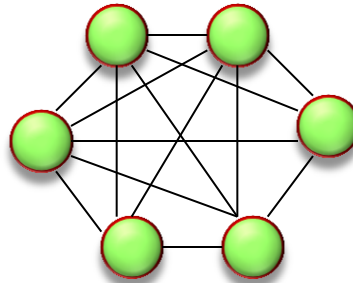
# Few Interfaces principle



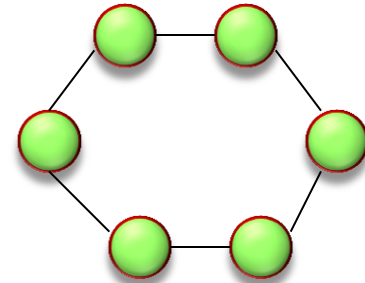
Every module communicates with  
as few others as possible



(A)



(B)

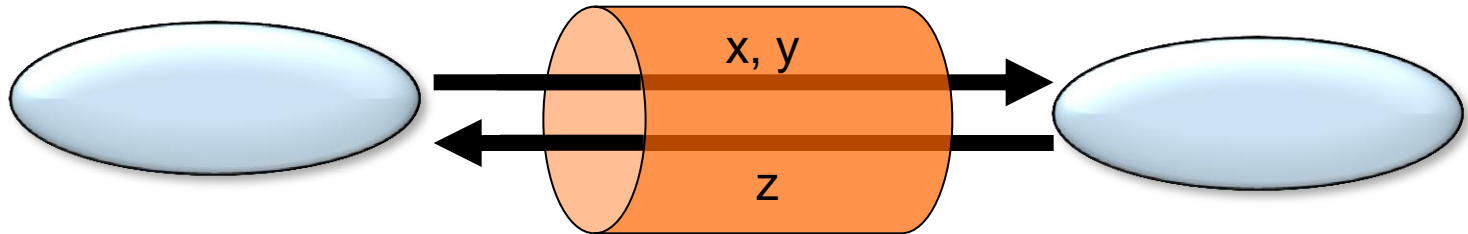


(C)

# Small Interfaces principle

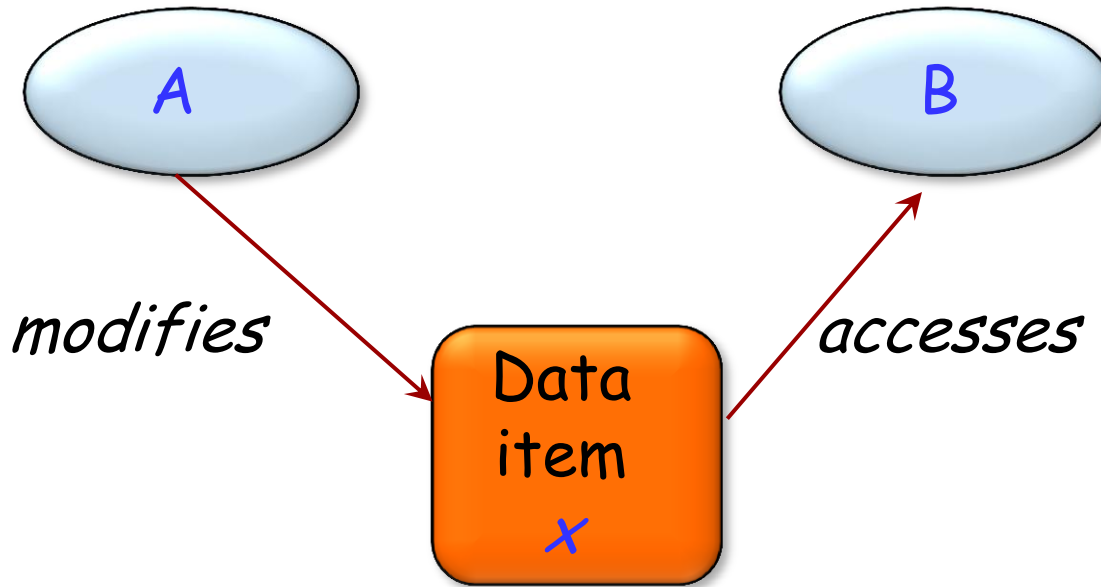


If two modules communicate, they exchange as little information as possible



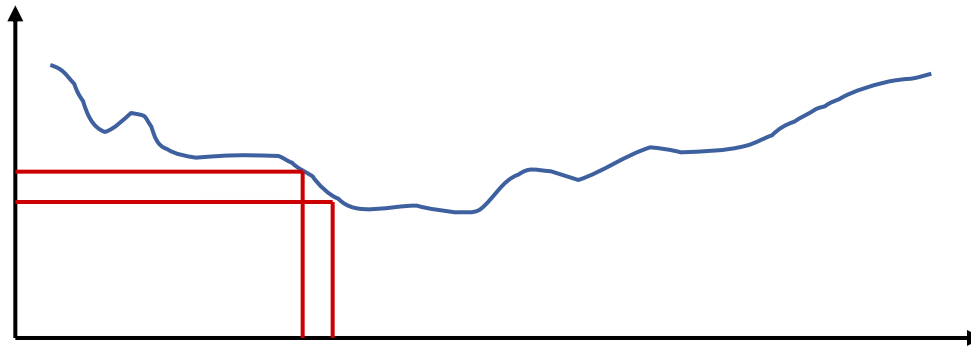
# Explicit Interfaces principle

Whenever two modules communicate, this is clear from the text of one or both of them



The method ensures that small changes in specifications yield small changes in architecture.

*Design method:* Specification  $\rightarrow$  Architecture



Example: Principle of Uniform Access (see next)

Counter-example: Programs with patterns after the physical implementation of data structures.

# Uniform Access principle

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It doesn't matter to the client  
whether you look up or compute

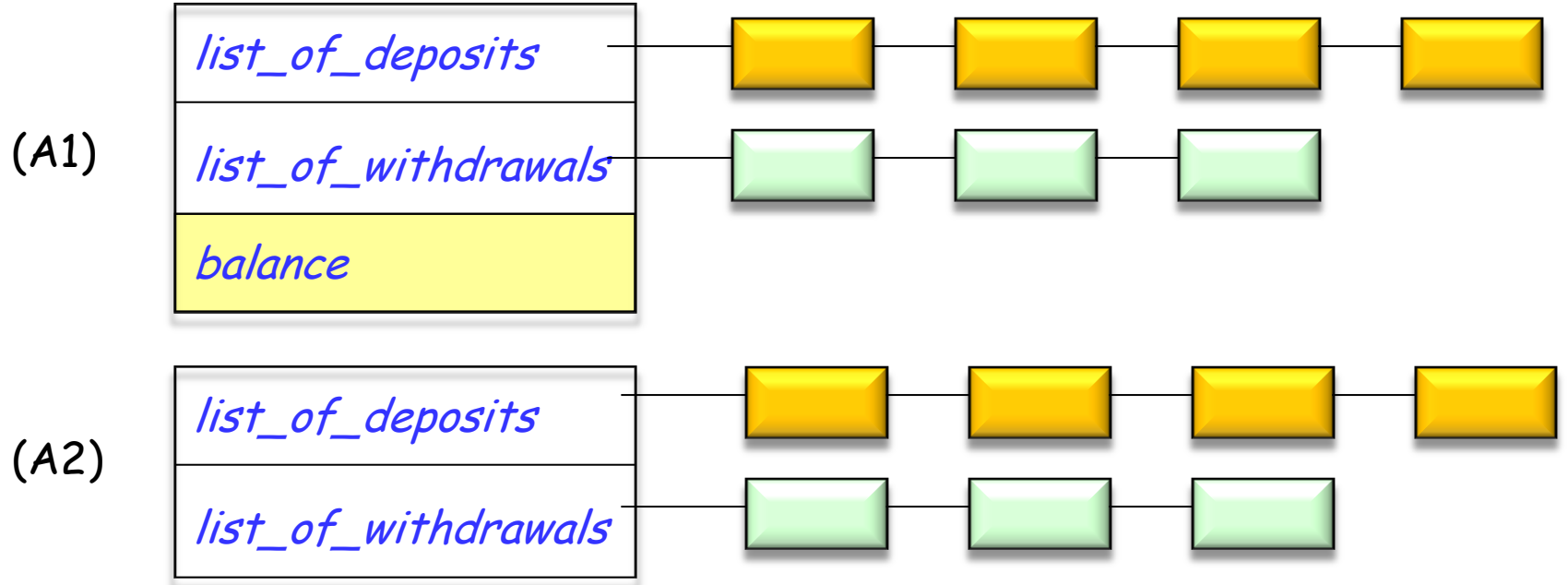
A call such as

*your\_account.balance*

could use an attribute or a function

# Uniform Access

*balance = list\_of\_deposits.total - list\_of\_withdrawals.total*



Ada, Pascal, C/C++, Java, C#:

*a.balance*

*balance(a)*

Simula, Eiffel:

*a.balance*

*a.balance()*



# Uniform Access principle

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Facilities managed by a module are accessible to its clients in the same way whether implemented by computation or by storage.

Definition: A client of a module is any module that uses its facilities.

# Information Hiding

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Underlying question: how does one “advertise” the capabilities of a module?

Every module should be known to the outside world through an official, “public” interface.

The rest of the module’s properties comprises its “secrets”.

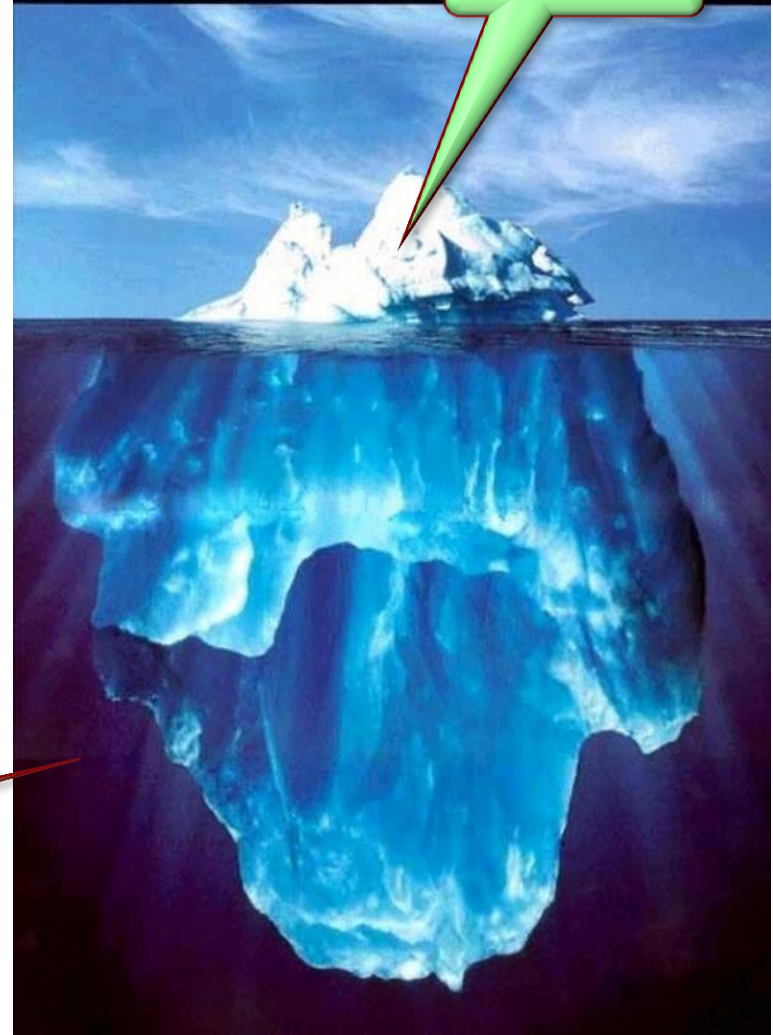
It should be impossible to access the secrets from the outside.

# Information Hiding Principle

The designer of every module must select a subset of the module's properties as the official information about the module, to be made available to authors of client modules

Private

Public



Justifications:

- Continuity
- Decomposability

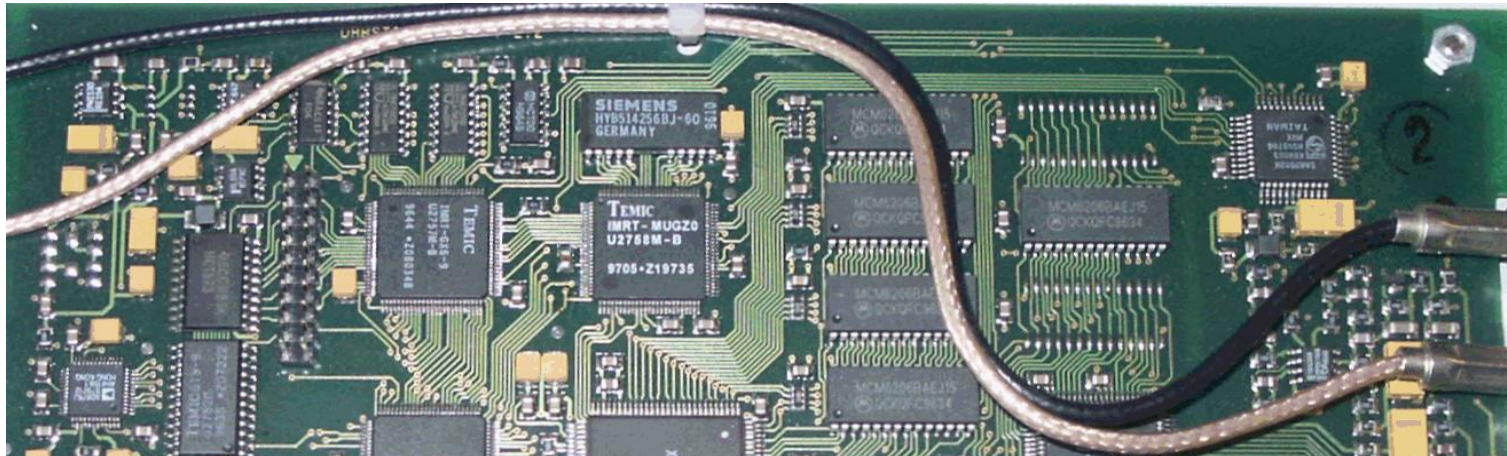
An object

has an interface



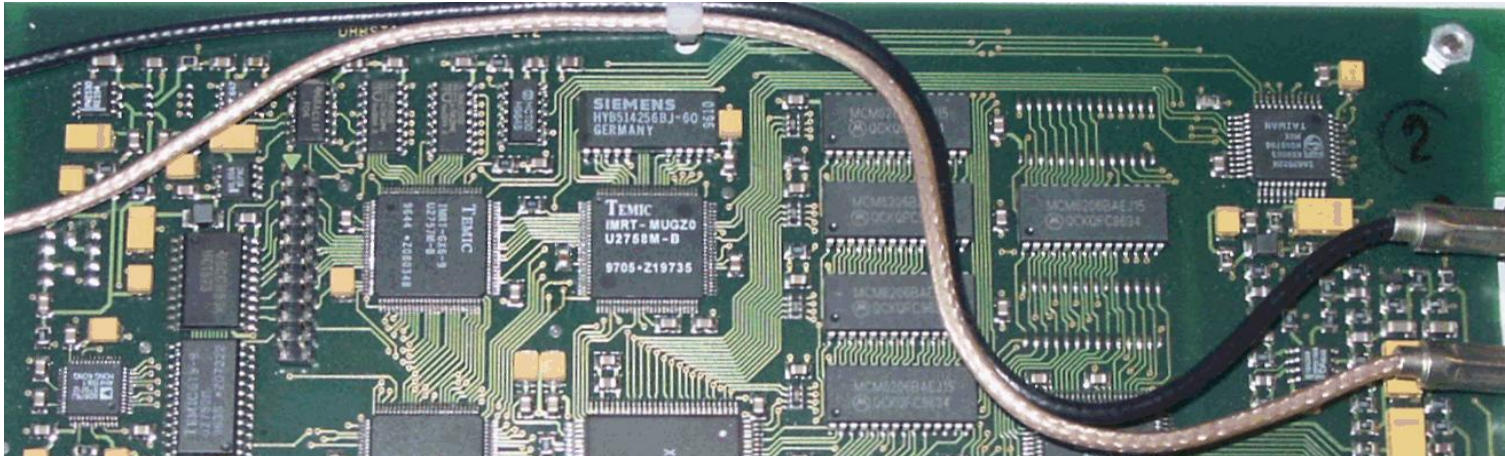
An object

has an implementation





# Information hiding



# The Open-Closed Principle

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Modules should be open and closed

## Definitions:

- Open module: May be extended.
- Closed module: Usable by clients. May be approved, baselined and (if program unit) compiled.

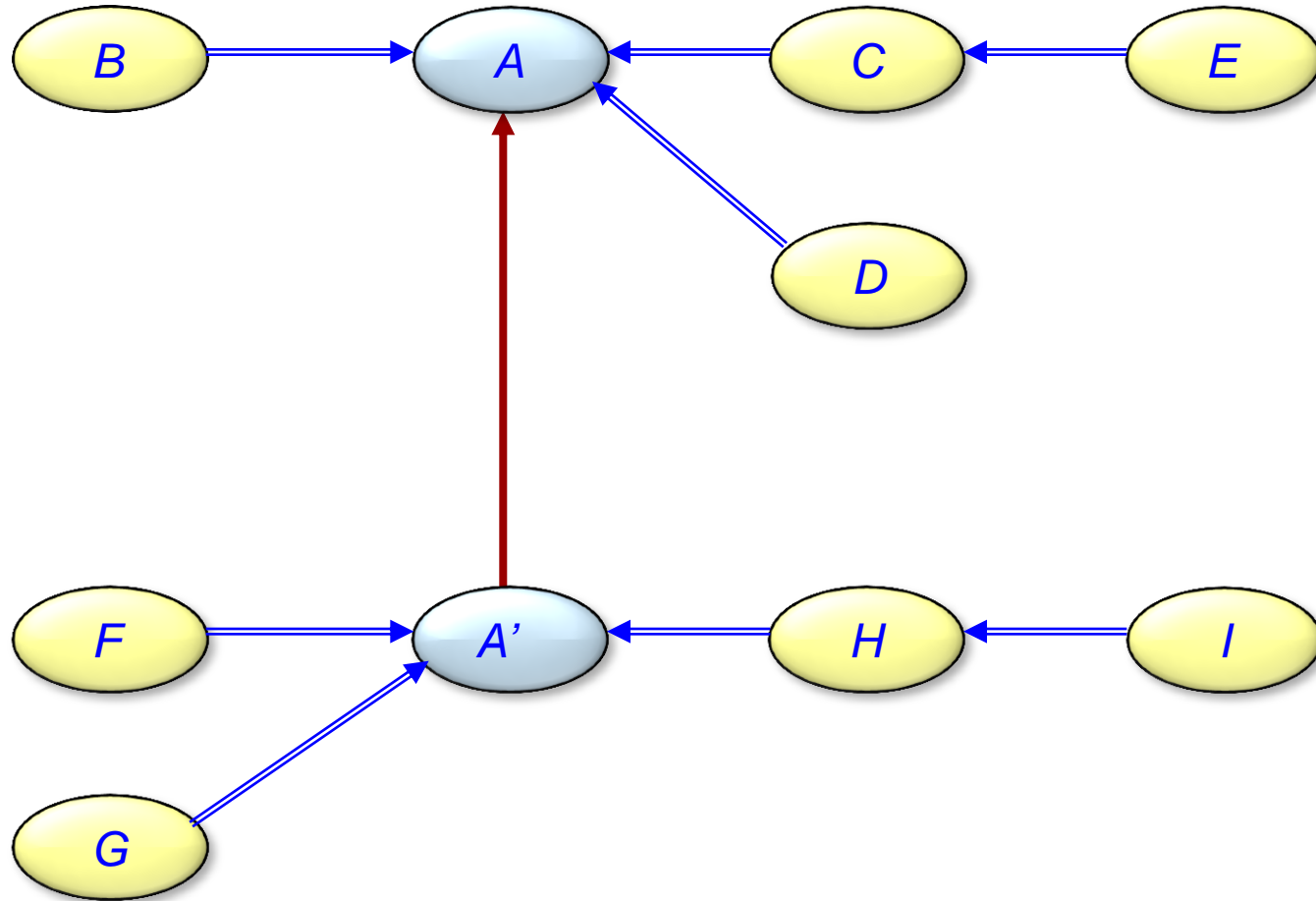
## The rationales are complementary:

- For closing a module (manager's perspective): Clients need it now.
- For keeping modules open (developer's perspective): One frequently overlooks aspects of the problem.



# The Open-Closed principle

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# The Single Choice principle

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Whenever a software system must support a set of alternatives, one and only one module in the system should know their exhaustive list.

- Editor: set of commands (insert, delete etc.)
- Graphics system: set of figure types (rectangle, circle etc.)
- Compiler: set of language constructs (instruction, loop, expression etc.)

# Reusability: Technical issues

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General pattern for a searching routine:

```
has (t: TABLE; x: ELEMENT): BOOLEAN  
    -- Does x appear in t?  
    local  
        pos: POSITION  
    do  
        from  
            pos := initial_position(t, x)  
        until  
            exhausted(t, pos) or else found(t, x, pos)  
        loop  
            pos := next(t, x, pos)  
        end  
        Result := found(t, x, pos)  
    end
```

# Issues for a general searching module

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## Type variation:

- What are the table elements?

## Routine grouping:

- A searching routine is not enough: it should be coupled with routines for table creation, insertion, deletion etc.

## Implementation variation:

- Many possible choices of data structures and algorithms: sequential table (sorted or unsorted), array, binary search tree, file, ...

## Representation independence:

- Can a client request an operation such as table search (*has*) without knowing what implementation is used internally?

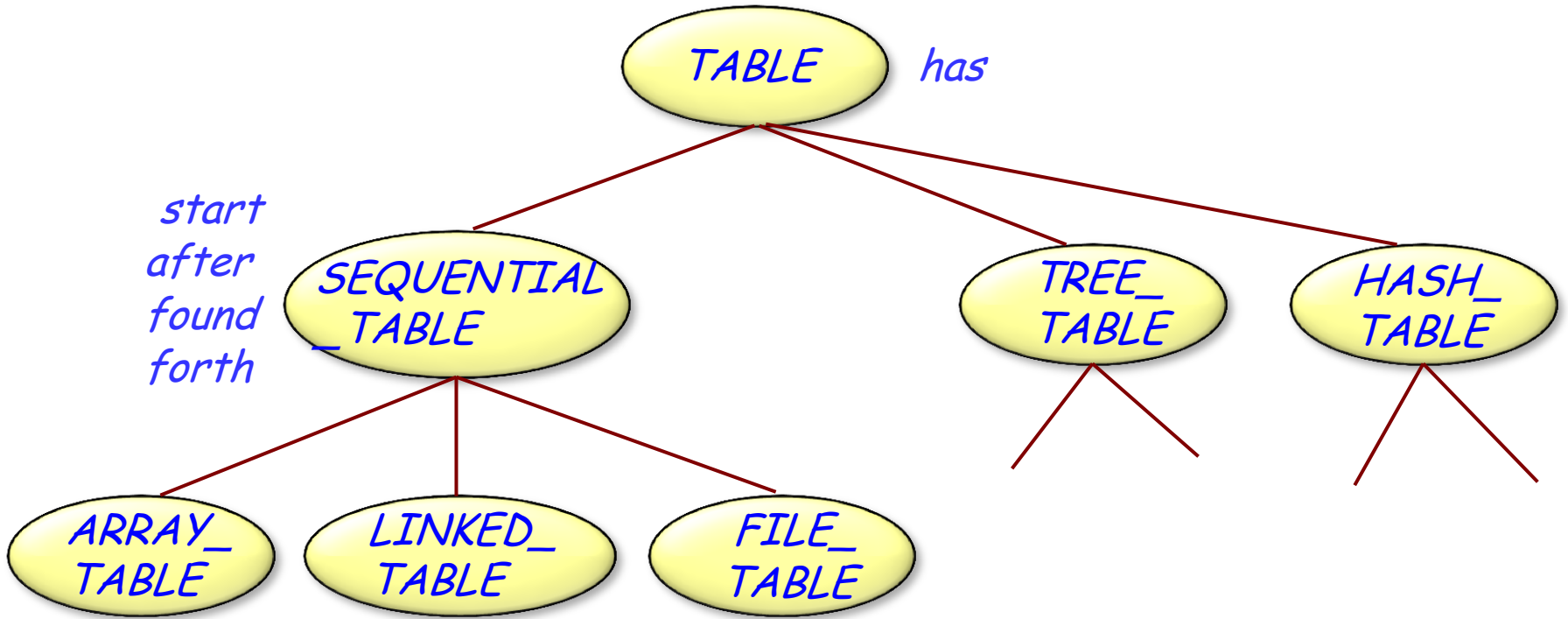
*has(t1, y)*

## Factoring out commonality:

- How can the author of supplier modules take advantage of commonality within a subset of the possible implementations?
- Example: the set of sequential table implementations.
- A common routine text for *has*:

```
has ( ...; x: ELEMENT): BOOLEAN  
  -- Does x appear in t?  
  do  
    from start until after or else found(x) loop  
      forth  
    end  
    Result := found(x)  
end
```

# Factoring out commonality



# Implementation variants



	<i>start</i>	<i>forth</i>	<i>after</i>	<i>found(x)</i>
Array	$i := 1$	$i := i + 1$	$i > \text{count}$	$t[i] = x$
Linked list	$c := \text{first}$	$c := c.\text{right}$	$c = \text{Void}$	$c.\text{item} = x$
File	<i>rewind</i>	<i>read</i>	<i>end_of_file</i>	$\text{item} = x$



# Encapsulation languages (“Object-based”)

Ada, Modula-2, Oberon, CLU...

**Basic idea:** gather a group of routines serving a related purpose, such as *has*, *insert*, *remove* etc., together with the appropriate data structure descriptions.

This addresses the Related Routines issue.

## Advantages:

- For supplier author: Get everything under one roof. Simplifies configuration management, change of implementation, addition of new primitives.
- For client author: Find everything at one place. Simplifies search for existing routines, requests for extensions.

# The concept of Abstract Data Type (ADT)

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- Why use the objects?
- The need for data abstraction
- Moving away from the physical representation
- Abstract data type specifications
- Applications to software design

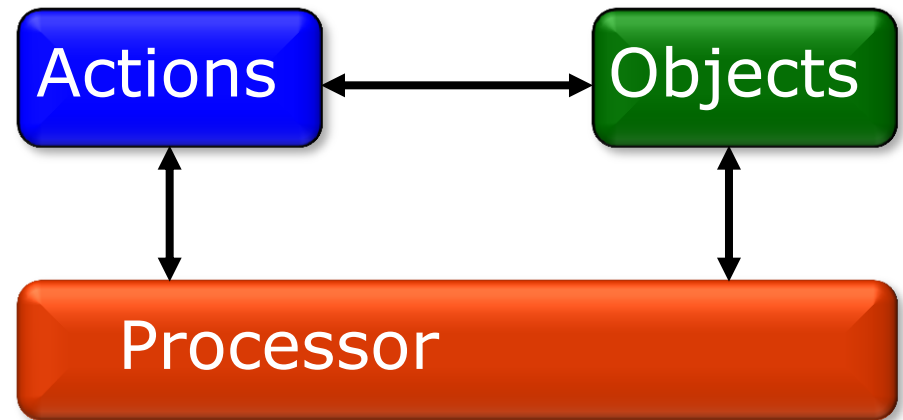
# The first step

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A system performs certain actions on certain data.

Basic duality:

- Functions [or: Operations, Actions]
- Objects [or: Data]



# Finding the structure

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The structure of the system may be deduced from an analysis of the **functions (1)** or the **objects (2)**

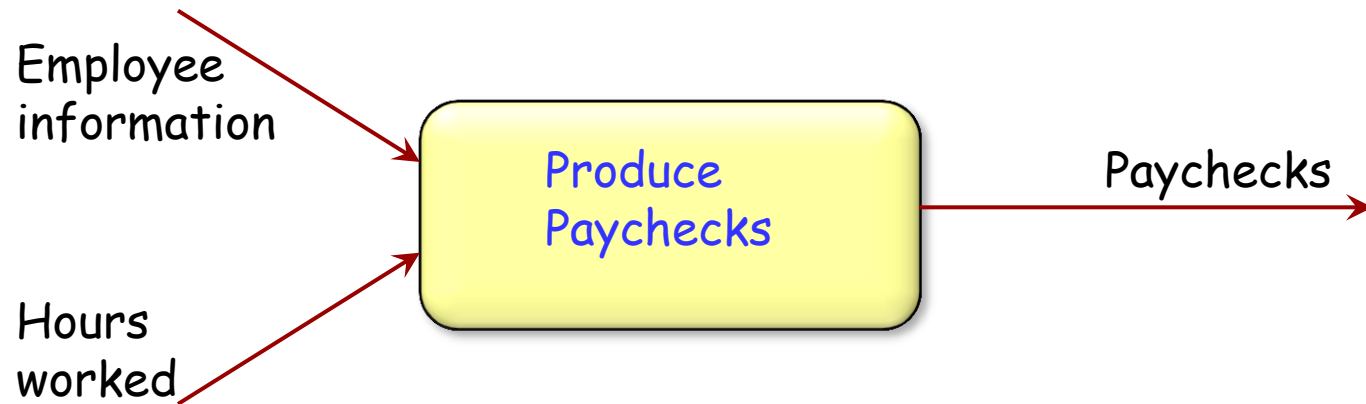
**Resulting architectural style and analysis/design method:**

- (1) Top-down, functional decomposition
- (2) Object-oriented

# Arguments for using objects

**Reusability:** Need to reuse whole data structures, not just operations

**Extendibility, Continuity:** Object categories remain more stable over time.



# Object technology: A first definition

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Object-oriented software construction is the software architecture method that bases the structure of systems on the types of objects they handle — not on “the” function they achieve.

# The O-O designer's motto

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Ask not first *WHAT* the system does:

Ask *WHAT* it does it to!

# Issues of object-oriented architecture

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- How to find the object types
- How to describe the object types
- How to describe the relations and commonalities between object types
- How to use object types to structure programs



# Description of objects

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Consider not a single object but a type of objects with similar properties.

Define each type of objects not by the objects' physical representation but by their behavior: the services (FEATURES) they offer to the rest of the world.

External, not internal view: **ABSTRACT DATA TYPES**

The main issue: How to describe program objects (data structures):

- Completely
- Unambiguously
- Without overspecifying?  
(Remember information hiding)

# Abstract Data Types

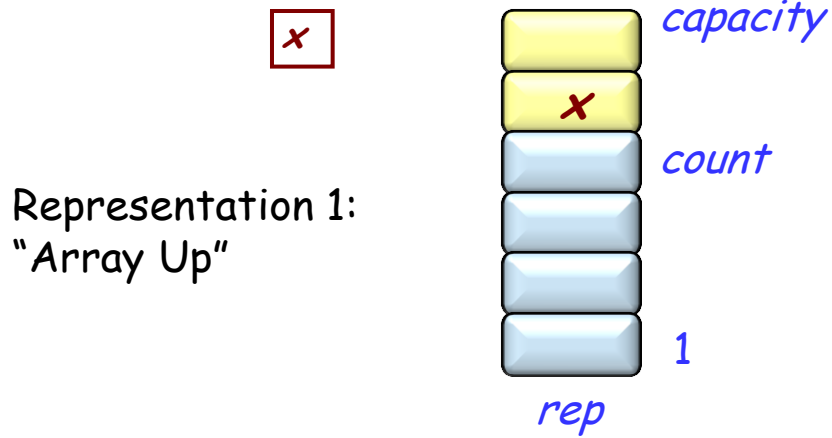
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A formal way of describing data structures

Benefits:

- Modular, precise description of a wide range of problems
- Enables proofs
- Basis for object technology
- Basis for object-oriented requirements

# A stack, concrete object

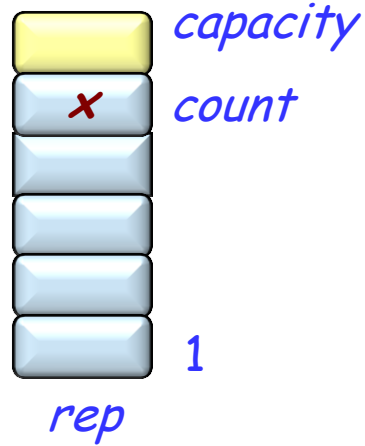


Implementing a "PUSH" operation:

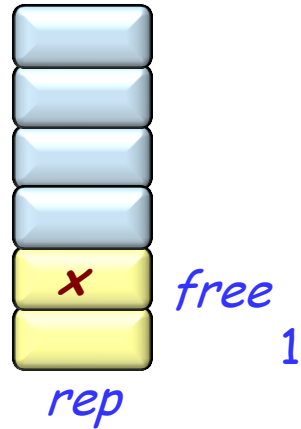
```
count := count + 1  
rep [count] := x
```

# A stack, concrete object

Representation 1:  
"Array Up"



Representation 2:  
"Array Down"



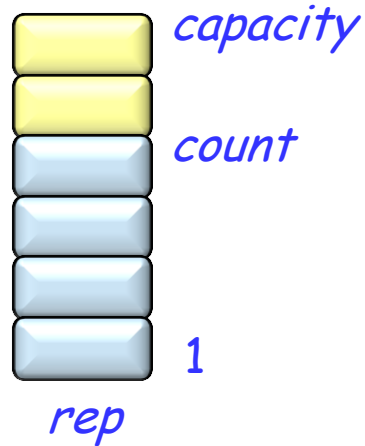
Implementing a "PUSH" operation:

```
count := count + 1  
rep [count] := x
```

```
rep [free] := x  
free := free - 1
```

# A stack, concrete object

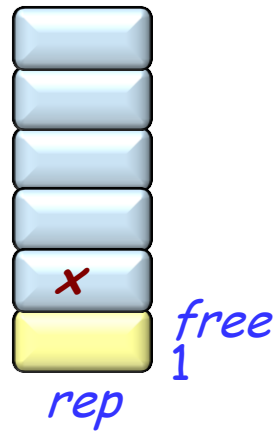
Representation 1:  
"Array Up"



Implementing a "PUSH" operation:

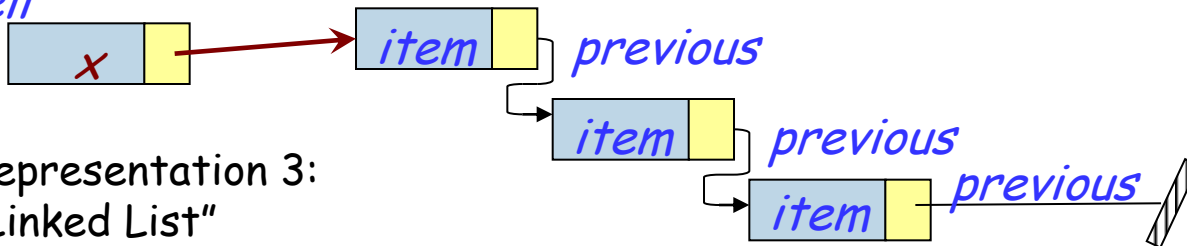
$rep[count] := x$   
 $count := count + 1$

Representation 2:  
"Array Down"



$rep[free] := x$   
 $free := free - 1$

*cell*



Representation 3:  
"Linked List"

**create cell**  
 $cell.item := x$   
 $cell.previous := last$   
 $head := cell$

# Stack: An Abstract Data Type (ADT)

Types:

$STACK[G]$

--  $G$ : Formal generic parameter

Functions (Operations):

$put: STACK[G] \times G \rightarrow STACK[G]$

$remove: STACK[G] \rightarrow STACK[G]$

$item: STACK[G] \rightarrow G$

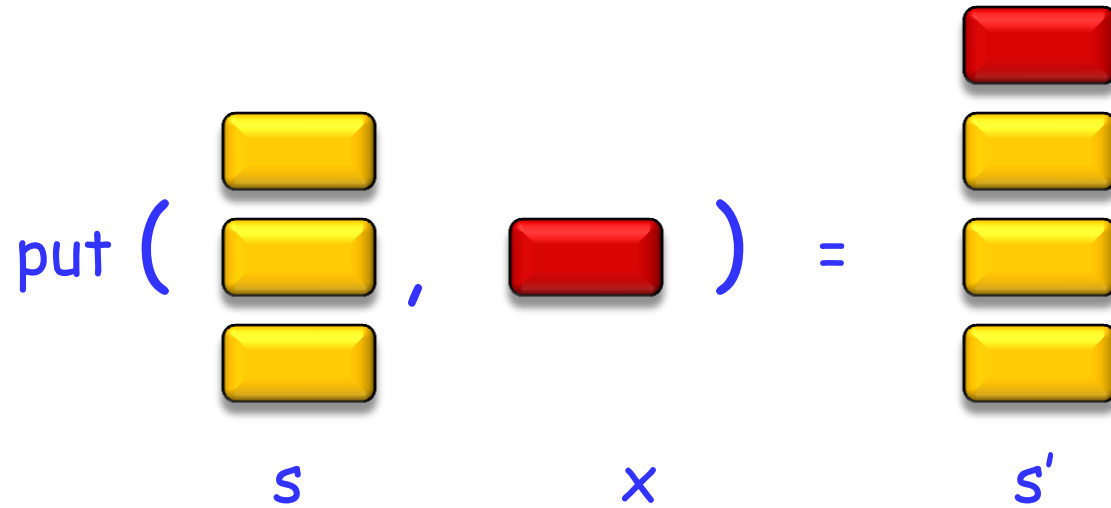
$is\_empty: STACK[G] \rightarrow BOOLEAN$

$new: STACK[G]$

Partial function  
(see next)

# Using functions to model operations

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# Reminder: Partial functions

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A partial function, identified here by  $\rightarrow$ , is a function that may not be defined for all possible arguments.

Example from elementary mathematics:

➤ *inverse*:  $\mathbb{R} \rightarrow \mathbb{R}$ , such that

$$\textit{inverse}(x) = 1 / x$$

# The *STACK* ADT (continued)

## Preconditions:

*remove*( $s: \text{STACK}[G]$ ) require not *is\_empty*( $s$ )

*item*( $s: \text{STACK}[G]$ ) require not *is\_empty*( $s$ )

## Axioms: For all $x: G, s: \text{STACK}[G]$

*item*(*put*( $s, x$ )) =  $x$

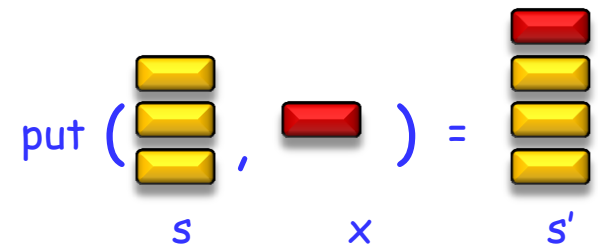
*remove*(*put*( $s, x$ )) =  $s$

*is\_empty*(*new*)

(can also be written: *is\_empty*(*new*) = True)

not *is\_empty*(*put*( $s, x$ ))

(can also be written: *is\_empty*(*put*( $s, x$ )) = False)



Adapt the preceding specification of stacks (LIFO, Last-In First-Out) to describe queues instead (FIFO).

Adapt the preceding specification of stacks to account for bounded stacks, of maximum size *capacity*.

➤ Hint: *put* becomes a partial function.

# Formal stack expressions

---

*value =*

*item (remove (put (remove (put (put*  
*(remove (put (put (put (new, x8), x7 ), x6)),*  
*item (remove (put (put (new, x5), x4))))),*  
*x2)), x1)))*

# Expressed differently



*value = item (remove (put (remove (put (put (remove (put (put (put (new, x8), x7), x6)), item (remove (put (put (new, x5), x4)))), x2)), x1)))*

*s1 = new*

*s2 = put (put (put (s1, x8), x7), x6)*

*s3 = remove (s2)*

*s4 = new*

*s5 = put (put (s4, x5), x4)*

*s6 = remove (s5)*

*y1 = item (s6)*

*s7 = put (s3, y1)*

*s8 = put (s7, x2)*

*s9 = remove (s8)*

*s10 = put (s9, x1)*

*s11 = remove (s10)*

*value = item (s11)*

# Expression reduction



```
value = item (  
  remove (  
    put (  
      remove (  
        put (  
          put (  
            remove (  
              put (put (put (new, x8), x7), x6)  
            ),  
          item (  
            remove (  
              put (put (new, x5), x4)  
            )  
          ),  
        ),  
      x2),  
    ),  
  x1)  
)  
)
```

Stack 1



# Expression reduction



```
value = item (  
  remove (  
    put (  
      remove (  
        put (  
          put (  
            remove (  
              put (put (put (new, x8), x7), x6)  
            ),  
          item (  
            remove (  
              put (put (new, x5), x4)  
            )  
          ),  
        ),  
      x2),  
    ),  
  x1)  
)  
)
```



Stack 1



# Expression reduction

*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put (new, x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*



Stack 1





# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*)*

*, item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

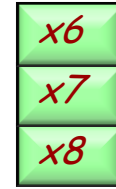
*x2)*

*),*

*x1)*

*)*

*)*



Stack 1

# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*



# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put ( put ( new , x5) , x4 )*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*



Stack 1

Stack 2



# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

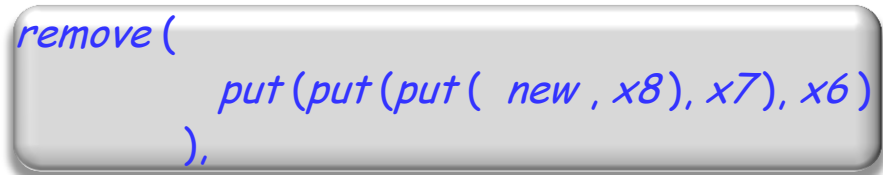
*)*



Stack 1



Stack 2



# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put ( new , x5 ), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*



Stack 1



Stack 2



# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*



Stack 1



Stack 2



*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*

# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*



Stack 1



Stack 2

# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

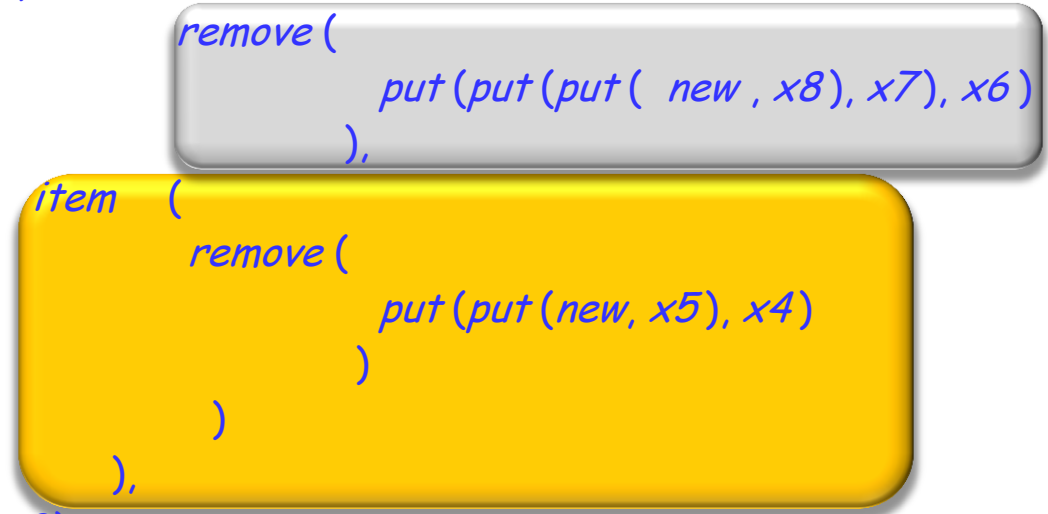
*)*



Stack 1



Stack 2





# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

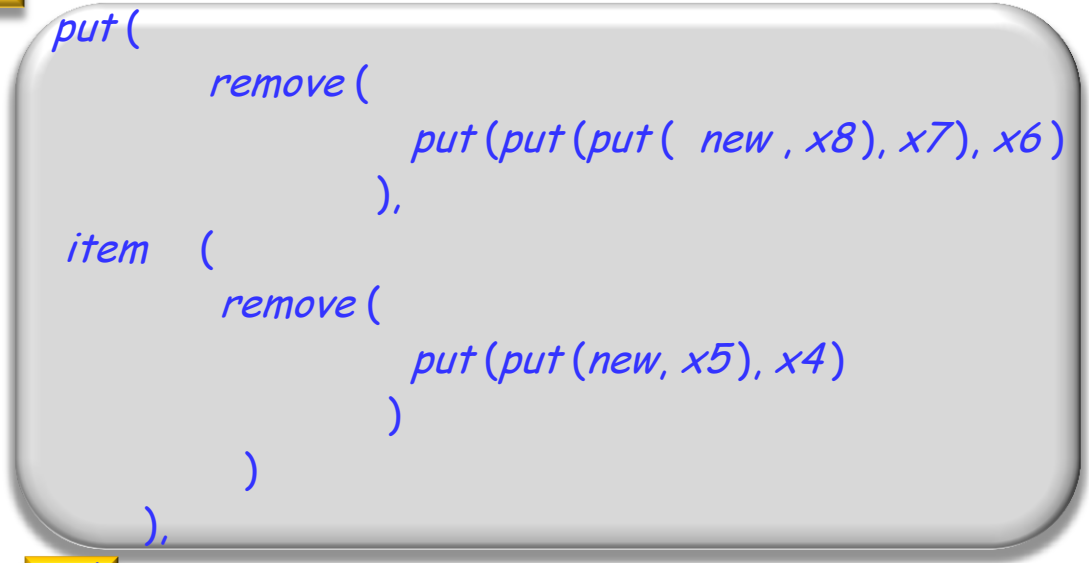
*x2)*

*),*

*x1)*

*)*

*)*



# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*



*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1)*

*)*

*)*

# Expression reduction



*value = item (*

*remove (*

*put (*

*remove (*

*put (*

*put (*

*remove (*

*put (put (put ( new , x8), x7), x6)*

*),*

*item (*

*remove (*

*put (put (new, x5), x4)*

*)*

*)*

*),*

*x2)*

*),*

*x1 )*

*)*

*)*



# Expression reduction



value = item (

remove (

put (

remove (

put (

put (

remove (

put (put (put ( new , x8), x7), x6)

),

item (

remove (

put (put (new, x5), x4)

)

)

),

x2)

),

x1)

)

)



# Expression reduction

value = **item** (

remove (

put (

remove (

put (

put (

remove (

put (put (put ( new , x8), x7), x6)

),

item (

remove (

put (put (new, x5), x4)

)

)

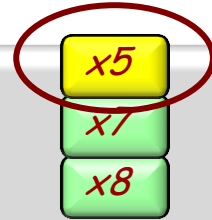
),

x2)

),

x1)

)



)

# Expressed differently



*value = item (remove (put (remove (put (put (remove (put (put (put (new, x8), x7), x6)), item (remove (put (put (new, x5), x4)))), x2)), x1)))*

*s1 = new*

*s2 = put (put (put (s1, x8), x7), x6)*

*s3 = remove (s2)*

*s4 = new*

*s5 = put (put (s4, x5), x4)*

*s6 = remove (s5)*

*y1 = item (s6)*

*s7 = put (s3, y1)*

*s8 = put (s7, x2)*

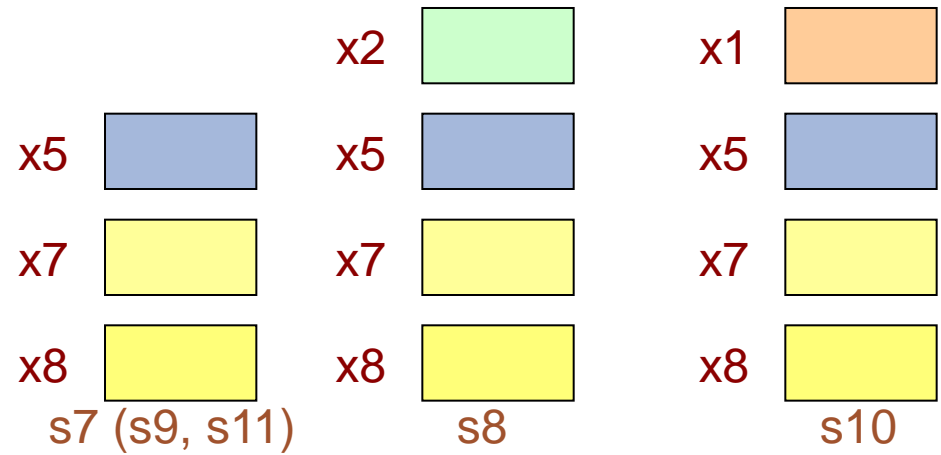
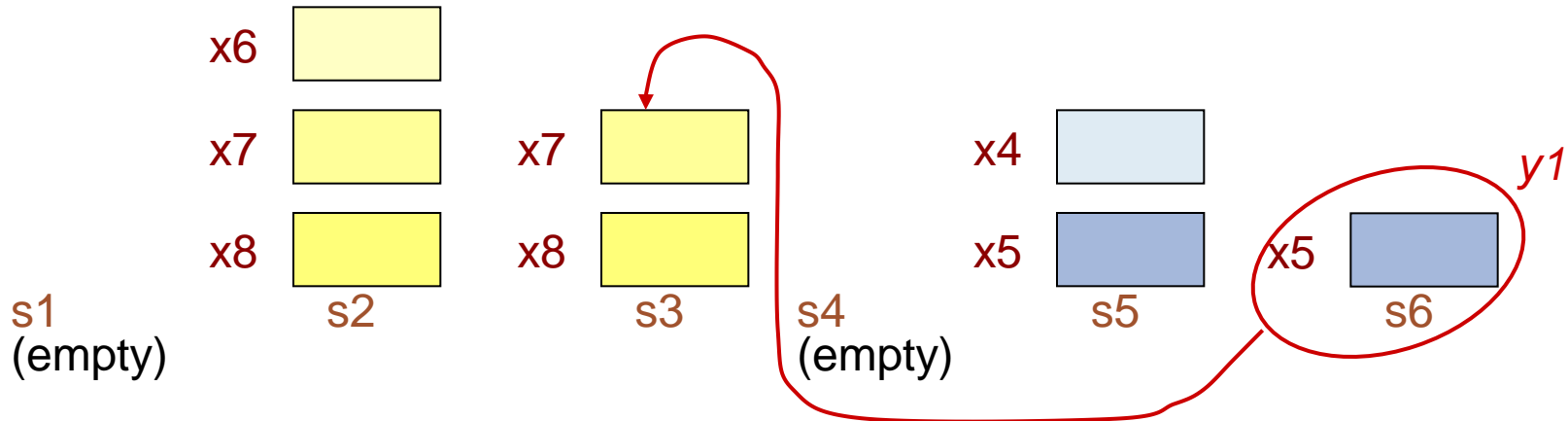
*s9 = remove (s8)*

*s10 = put (s9, x1)*

*s11 = remove (s10)*

*value = item (s11)*

# An operational view of the expression



*value = item (remove (put (remove (put (put (remove (put (put (put (new, x8), x7), x6)), item (remove (put (put (new, x5), x4))))), x2)), x1)))*

# Sufficient completeness



Three forms of functions in the specification of an ADT  $T$ :

➤ **Creators:**

$OTHER \rightarrow T$

e.g. *new*

➤ **Queries:**

$T \times \dots \rightarrow OTHER$

e.g. *item, empty*

➤ **Commands:**

$T \times \dots \rightarrow T$

e.g. *put, remove*

## Sufficiently Complete specification

An ADT specification with axioms that make it possible to reduce any correct "Query Expression" of the form

$f(\dots)$

where  $f$  is a query, to a form not involving  $T$



# Well-formed and correct expression

---

An expression built from an ADT is **well-formed** if all the function applications it involves use the right number of arguments of the right type, each argument being (recursively) well-formed

Examples:

`put (x)` is not well-formed

`put (new, x)` is well-formed

`remove (new)` is well-formed

An expression is **correct** if (1) it is well-formed (2) the arguments to all function applications satisfy the respective preconditions and (3) all these arguments are (recursively) correct.

# Is the stack specification sufficiently complete?



## Types

*STACK[G]*

## Functions

*put: STACK[G] × G → STACK[G]*

*remove: STACK[G] → STACK[G]*

*item: STACK[G] → G*

*empty: STACK[G] → BOOLEAN*

*new: STACK[G]*

# The *STACK* ADT (continued)

## Preconditions:

*remove*( $s: \text{STACK}[G]$ ) require not *empty*( $s$ )

*item*( $s: \text{STACK}[G]$ ) require not *empty*( $s$ )

**Axioms:** For all  $x: G, s: \text{STACK}[G]$

*item*(*put*( $s, x$ )) =  $x$

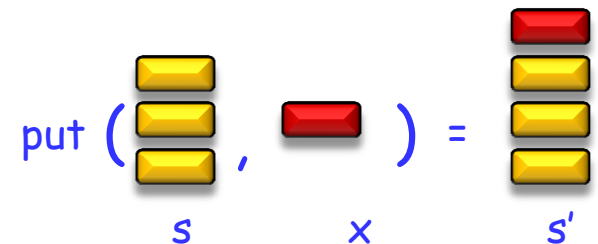
*remove*(*put*( $s, x$ )) =  $s$

*empty*(*new*)

(can also be written: *empty*(*new*) = True)

not *empty*(*put*( $s, x$ ))

(can also be written: *empty*(*put*( $s, x$ )) = False)



# Proving sufficient completeness



Let us say that an ADT expression  $f$  for the ADT  $STACK [X]$  is **reducible** if the axioms make it possible to determine the value of  $f$  in terms of the types  $X$  and  $BOOLEAN$  only

To prove sufficient completeness for the stack specification, we must prove that a correct expression  $f$  of the form

item ( $e$ )    or  
empty ( $e$ )

is reducible

(to terms of values  $X$  and  $BOOLEAN$  respectively)

# Proof sketch

---

We prove that a correct expression  $f = \text{item}(e)$  is reducible

(the case of  $\text{empty}$  is left as an exercise)

We work by induction on the number of parenthesis pairs in  $f$

## Lemma:

A correct expression of the form

$\text{remove}(g)$

has a subexpression of the form

$\text{remove}(\text{put}(h, x))$

# “Complete” requirements (from the Requirements lecture)

Complete with respect to what?

Definition from IEEE standard (see next) :

*An SRS (Software Requirements Specification) is complete if, and only if, it includes the following elements:*

- *All significant requirements, whether relating to functionality, performance, design constraints, attributes, or external interfaces. In particular any external requirements imposed by a system specification should be acknowledged and treated.*
- *Definition of the responses of the software to all realizable classes of input data in all realizable classes of situations. Note that it is important to specify the responses to both valid and invalid input values.*
- *Full labels and references to all figures, tables, and diagrams in the SRS and definition of all terms and units of measure.*

Completeness cannot be "completely" defined

But (taking advantage of the notion of *sufficient completeness* for abstract data types) we can cross-check:

- Commands x Queries

to verify that every effect is defined

Abstract data types provide an ideal basis for modularizing software.

Build each module as an *implementation* of an ADT:

- Implements a set of *objects* with same *interface*
- Interface is defined by a set of operations (the ADT's functions) constrained by abstract properties (its axioms and preconditions).

The module consists of:

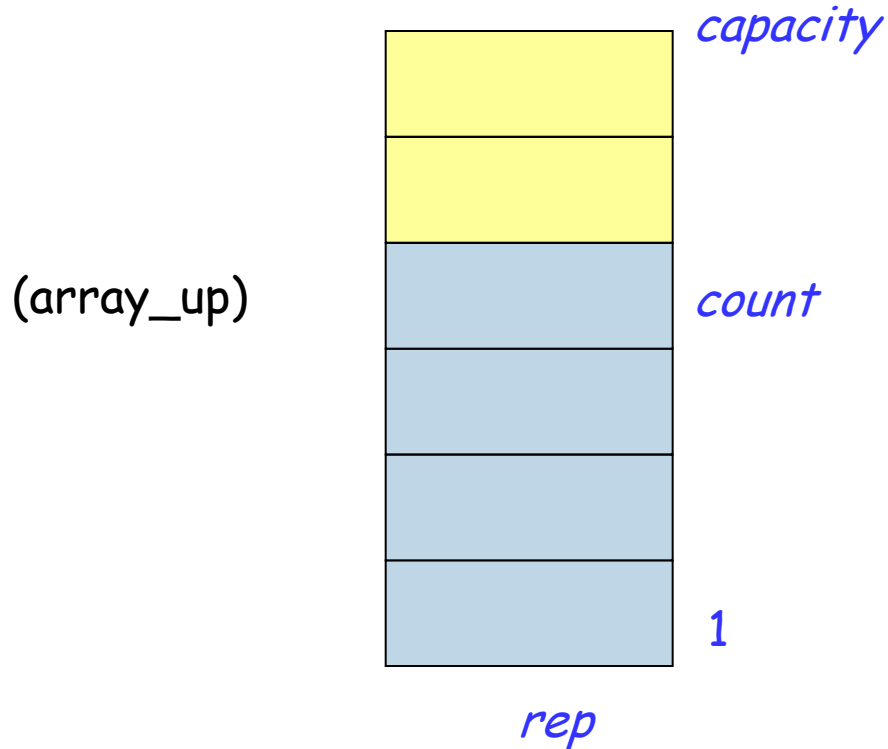
- *A representation* for the ADT
- *An implementation* for each of its operations
- Possibly, auxiliary operations



## Three components:

- (E1) The ADT's specification: functions, axioms, preconditions  
(Example: stacks)
- (E2) Some representation choice  
(Example: *<rep, count>*)
- (E3) A set of subprograms (routines) and attributes, each implementing one of the functions of the ADT specification (E1) in terms of chosen representation (E2)  
(Example: routines *put, remove, item, empty, new*)

# A choice of stack representation



"Push" operation:

$count := count + 1$

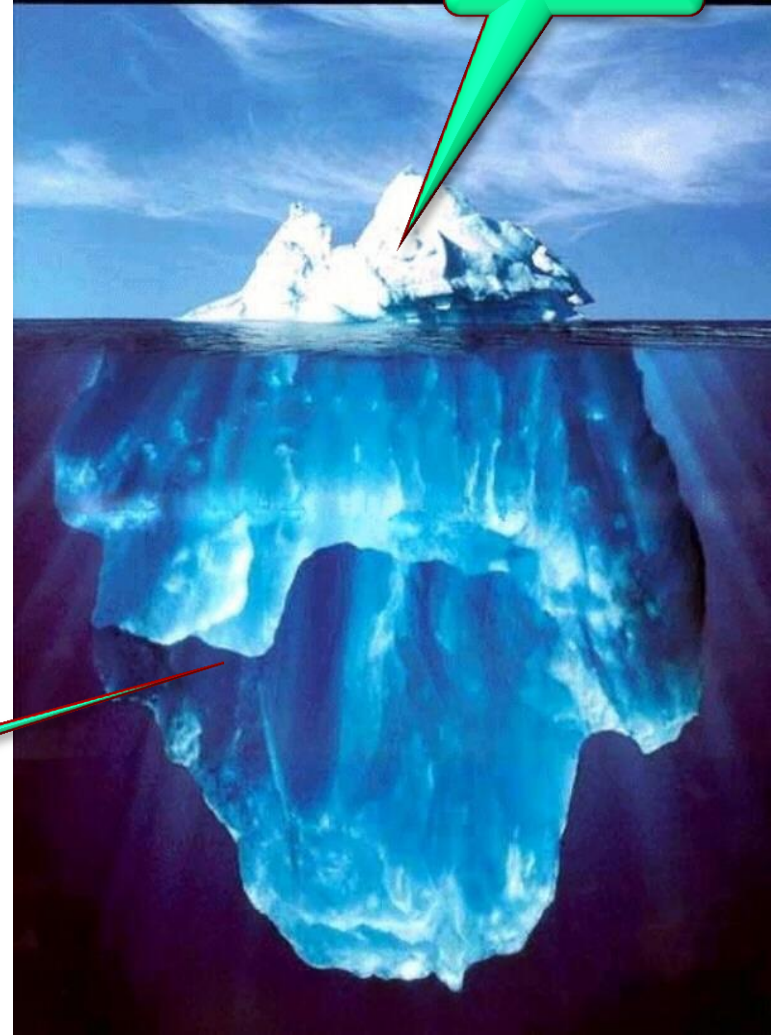
$rep[count] := x$

# Information hiding

The designer of every module must select a subset of the module's properties as the official information about the module, to be made available to authors of client modules

Private

Public



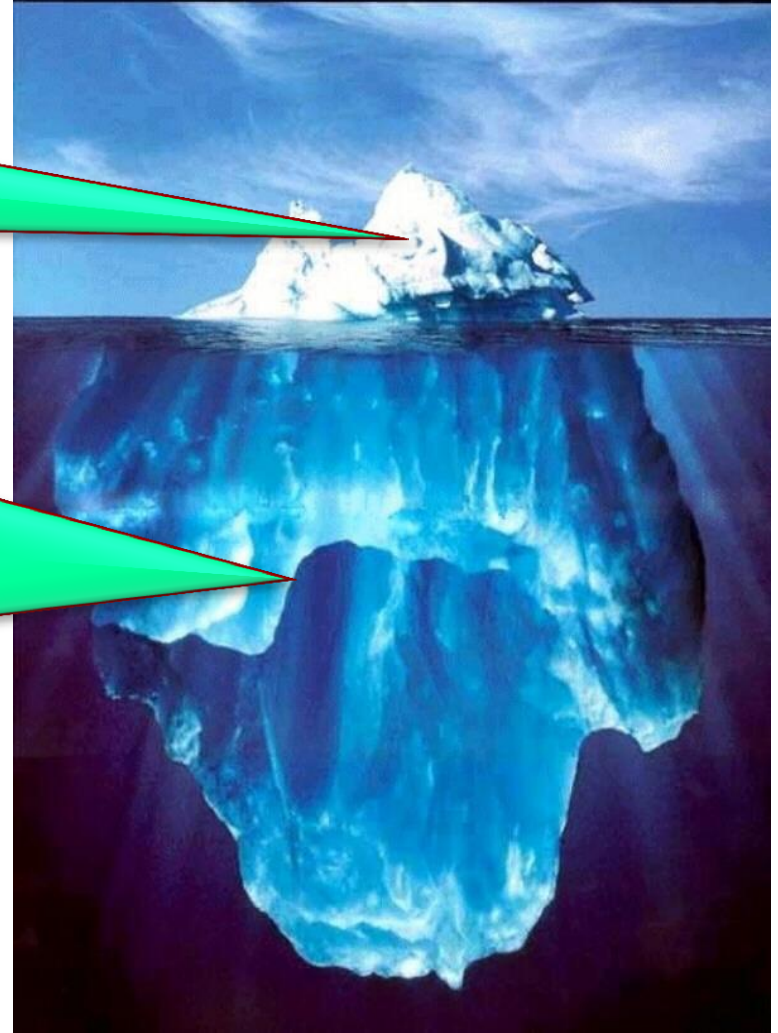
# Applying ADTs to information hiding

## Public part:

- ADT specification  
(E1)

## Secret part:

- Choice of representation  
(E2)
- Implementation of functions by features  
(E3)



# Object technology: A first definition

---



Object-oriented software construction is the software architecture method that bases the structure of systems on the types of objects they handle — not on “the” function they achieve

# A more precise definition

---



Object-oriented software construction is the construction of software systems as structured collections of (possibly partial) abstract data type implementations

# The fundamental structure: the class

---

Merging of the notions of **module** and **type**:

- Module = Unit of decomposition: set of services
- Type = Description of a set of run-time objects ("instances" of the type)

The connection:

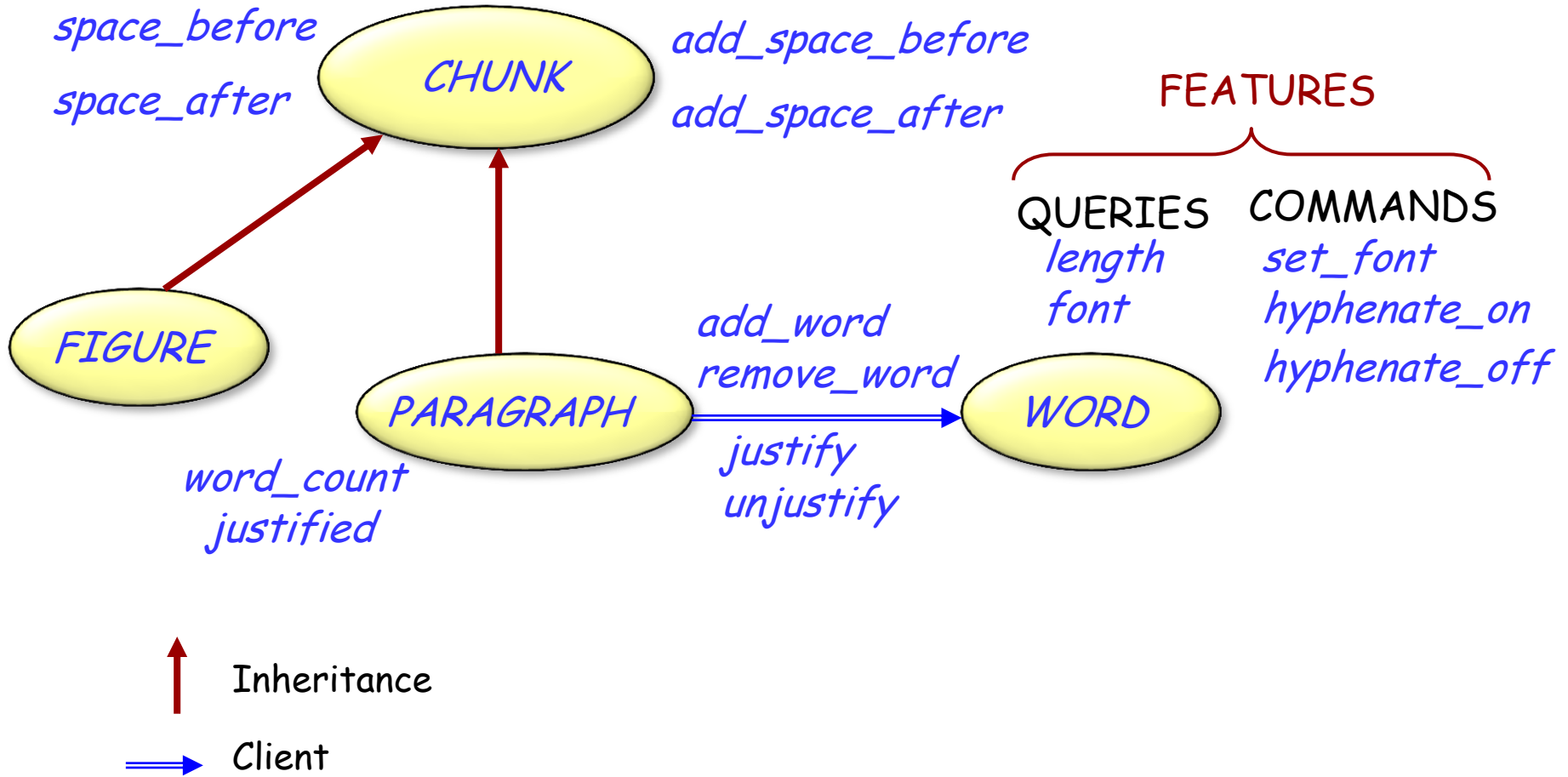
- The services offered by the class, viewed as a module, are the operations available on the instances of the class, viewed as a type.

Two relations:

- Client
- Heir



# Overall system structure



# Bounded stacks

---

Types:

$BSTACK[G]$

Functions (Operations):

$put: BSTACK[G] \times G \rightarrow BSTACK[G]$

$remove: BSTACK[G] \rightarrow BSTACK[G]$

$item: BSTACK[G] \rightarrow G$

$empty: BSTACK[G] \rightarrow BOOLEAN$

$new: BSTACK[G]$

$capacity: BSTACK[G] \rightarrow INTEGER$

$count: BSTACK[G] \rightarrow INTEGER$

$full: BSTACK[G] \rightarrow BOOLEAN$

# Television station example

---

*Source: OOSC*

```
class SCHEDULE feature  
  segments: LIST[SEGMENT]  
end
```

# Schedules

**note**

*description:*

*"24-hour TV schedules"*

**deferred class** *SCHEDULE* **feature**

*segments: LIST [SEGMENT]*

*-- Successive segments*

**deferred**  
**end**

*air\_time: DATE is*

*-- 24-hour period*

*-- for this schedule*

**deferred**  
**end**

*set\_air\_time (t: DATE)*

*-- Assign schedule to*

*-- be broadcast at time t.*

**require**

*t.in\_future*

**deferred**

**ensure**

*air\_time = t*

**end**

*print*

*-- Produce paper version.*

**deferred**

**end**

**end**

# Contracts

---

Feature precondition: condition imposed on the rest of the world

Feature postcondition: condition guaranteed to the rest of the world

Class invariant: Consistency constraint maintained throughout on all instances of the class

# Why contracts

---

Specify semantics, but abstractly!

(Remember basic dilemma of requirements:

➤ Committing too early to an implementation  
Overspecification!

➤ Missing parts of the problem  
Underspecification!

)

# Segment

## note

*description :*

*"Individual fragments of a schedule"*

**deferred class *SEGMENT* feature**

*schedule : SCHEDULE deferred end*

-- Schedule to which  
-- segment belongs

*index: INTEGER deferred end*

-- Position of segment in  
-- its schedule

*starting\_time, ending\_time :*

*INTEGER deferred end*

-- Beginning and end of  
-- scheduled air time

*next: SEGMENT deferred end*

-- Segment to be played  
-- next, if any

*sponsor: COMPANY deferred end*

-- Segment's principal sponsor

*rating: INTEGER deferred end*

-- Segment's rating (for  
-- children's viewing etc.)

... Commands such as *change\_next*,  
*set\_sponsor*, *set\_rating* omitted ...

*Minimum\_duration: INTEGER = 30*

-- Minimum length of segments,  
-- in seconds

*Maximum\_interval: INTEGER = 2*

-- Maximum time between two  
-- successive segments, in seconds

# Segment (continued)

## invariant

*in\_list: (1 ≤ index) and (index ≤ schedule.segments.count)*

*in\_schedule: schedule.segments.item(index) = Current*

*next\_in\_list: (next ≠ Void) implies*

*(schedule.segments.item(index + 1) = next)*

*no\_next\_iff\_last: (next = Void) = (index = schedule.segments.count)*

*non\_negative\_rating: rating ≥ 0*

*positive\_times: (starting\_time > 0) and (ending\_time > 0)*

*sufficient\_duration:*

*ending\_time - starting\_time ≥ Minimum\_duration*

*decent\_interval:*

*(next.starting\_time) - ending\_time ≤ Maximum\_interval*

**end**



# Commercial

## note

description: "Advertizing segment"

```
deferred class COMMERCIAL inherit  
  SEGMENT
```

```
  rename sponsor as advertizer end
```

## feature

```
  primary: PROGRAM deferred
```

```
    -- Program to which this
```

```
    -- commercial is attached
```

```
  primary_index: INTEGER deferred
```

```
    -- Index of primary
```

```
set_primary (p: PROGRAM)
```

```
  -- Attach commercial to p.
```

## require

```
  program_exists: p /= Void
```

```
  same_schedule: p.schedule = schedule
```

```
  before:
```

```
    p.starting_time <= starting_time
```

## deferred

## ensure

```
  index_updated:
```

```
    primary_index = p.index
```

```
  primary_updated: primary = p
```

```
end
```

## invariant

```
  meaningful_primary_index: primary_index = primary.index
```

```
  primary_before: primary.starting_time <= starting_time
```

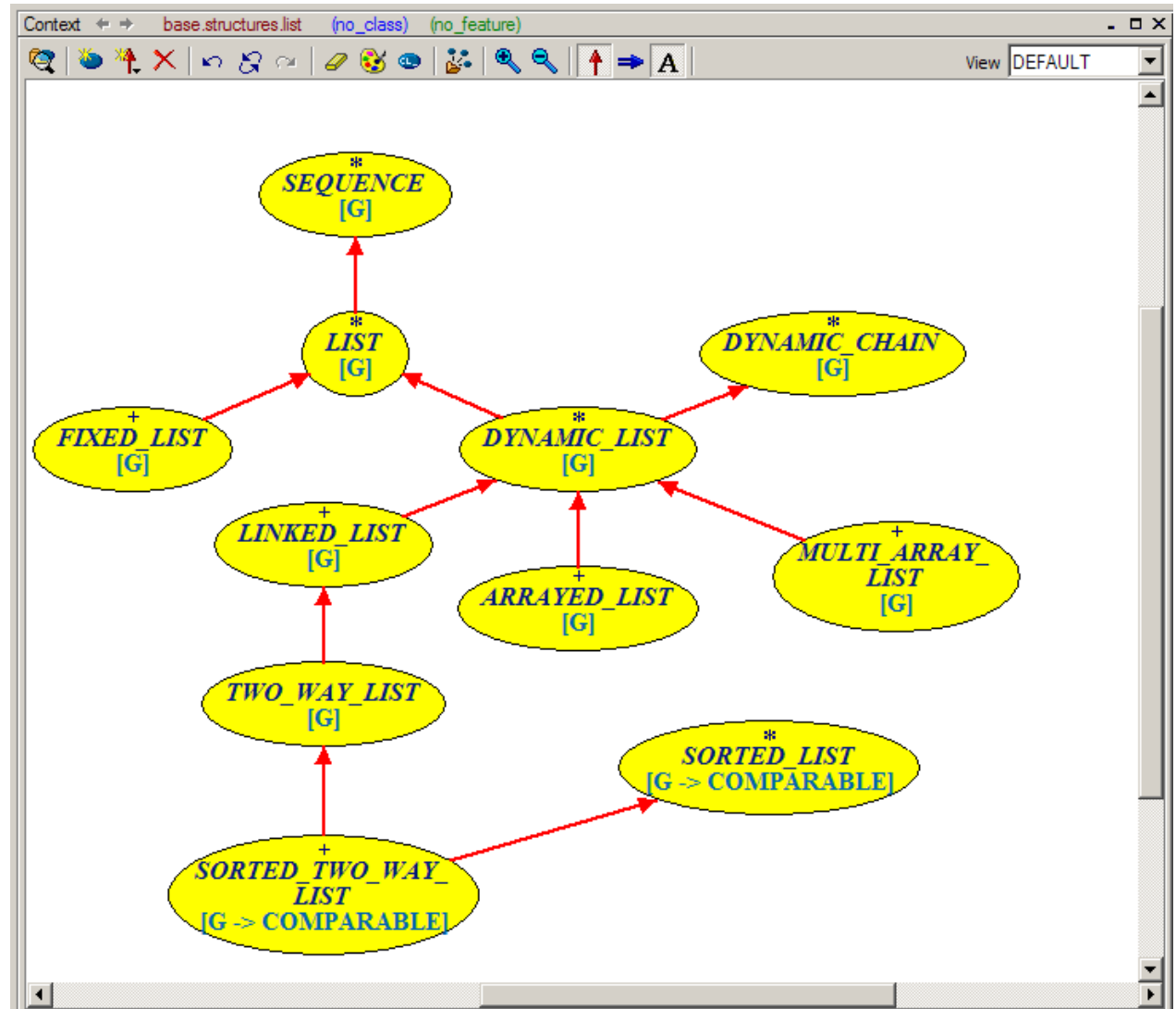
```
  acceptable_sponsor: advertizer.compatible (primary.sponsor)
```

```
  acceptable_rating: rating <= primary.rating
```

```
end
```

# Diagrams: UML, BON

## Text-Graphics Equivalence



# O-O analysis process

---

## Identify abstractions

- New
- Reused

Describe abstractions through interfaces, with contracts

Look for more specific cases: use inheritance

Look for more general cases: use inheritance, simplify

Iterate on suppliers

At all stages keep structure simple and look for applicable contracts

Consider a small library database with the following transactions:

1. Check out a copy of a book.  
Return a copy of a book.
2. Add a copy of a book to the library. Remove a copy of a book from the library.
3. Get the list of books by a particular author or in a particular subject area.
4. Find out the list of books currently checked out by a particular borrower.
5. Find out what borrower last checked out a particular copy of a book.

There are two types of users: staff users and ordinary borrowers.

Transactions 1, 2, 4, and 5 are restricted to staff users, except that ordinary borrowers can perform transaction 4 to find out the list of books currently borrowed by themselves. The database must also satisfy the following constraints:

- All copies in the library must be available for checkout or be checked out.
- No copy of the book may be both available and checked out at the same time.
- A borrower may not have more than a predefined number of books checked out at one time.

## *Practical advice*

Take advantage of O-O techniques from the requirements stage on

Use contracts to express semantic properties

*Practical advice*

Write ADT specifications for delicate parts of the system requirements

# Bounded stacks (continued)

---

## Preconditions:

*remove*( $s: BSTACK[G]$ ) require not empty( $s$ )

*item*( $s: BSTACK[G]$ ) require not empty( $s$ )

*put*( $s: BSTACK[G]$ ) require not full( $s$ )

**Axioms:** For all  $x: G, s: BSTACK[G]$

*item*(*put*( $s, x$ )) =  $x$

*remove*(*put*( $s, x$ )) =  $s$

*empty*(*new*)

**not** *empty*(*put*( $s, x$ ))

*full* = (*count* = *capacity*)

*count*(*new*) = 0

*count*(*put*( $s, x$ )) = *count*( $s$ ) + 1

*count*(*remove*( $s$ )) = *count*( $s$ ) - 1

